

Δ(Delta)

1.

$F(\omega t)$ (Fourier) ,

$$F(\omega t) = a_0 + \sum_{n=1}^{\infty} a_n \cos n\omega t + \sum_{n=1}^{\infty} b_n \sin n\omega t \text{ ----- (1)}$$

,

$$a_n \cos \omega t + b_n \sin \omega t = A \sin(n\omega t + q_n) \text{ ----- (2)}$$

(1) .

$$F(\omega t) = A + \sum_{n=1}^{\infty} A_n \sin(n\omega t + q_n) \text{ ----- (3)}$$

, A ($\omega, 2\omega, 3\omega, \dots$)
($A_1, A_2, \dots$, $q_1, q_2, \dots$)

.

2. **Grouping**

가. 3 (3n , n = 1, 2, 3, ..)

3 , 3 (3) (q Shift $q=0$ 가)

$$V_{r_3} = V_3 \sin(3\omega t)$$

$$V_{s_3} = V_3 \sin(3\omega t - 120^\circ)$$

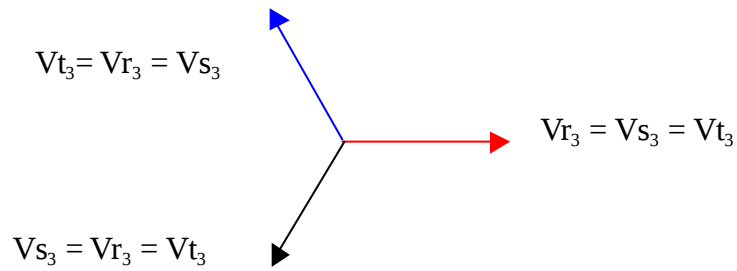
$$V_{t_3} = V_3 \sin(3\omega t + 120^\circ)$$

, 가 120°

.

3 $120^\circ(360^\circ/3)$, V_{s_3} V_{r_3} 1 (120°)
, V_{t_3} V_{r_3} 1 (120°) .
 $V_{r_3}, V_{s_3}, V_{t_3}$.

3



가 6, 9, 12, ... 3 (3n)

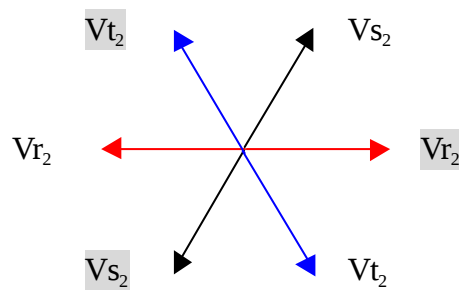
$$\frac{(3n + 2)}{2} \quad (n = 0, 1, 2, \dots)$$

2 , 2 (3)

$$\begin{aligned} V_{r_2} &= V_2 \sin 2\omega t \\ V_{s_2} &= V_2 \sin 2(\omega t - 120^\circ) \\ V_{t_2} &= V_2 \sin 2(\omega t + 120^\circ) \end{aligned}$$

2 가 180°(360°/2) , V_{s_2} V_{r_2} 2/3 (120°)
 , V_{t_2} V_{r_2} 2/3 (120°)
 V_{t_2} V_{r_2} 1/3 (60°)
 , 가 $V_{r_2}, V_{t_2}, V_{s_2}$ ($V_{r_2}, V_{s_2}, V_{t_2}$ 가)

2



가 5, 8, 11, ... (3n+2)

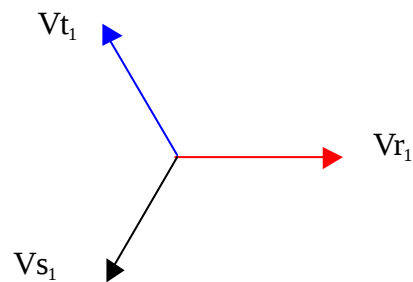
$$\underline{\cdot (3n + 1) \quad (n = 0, 1, 2, \dots)}$$

가

$$1, 4, 7, \dots \quad (3n+1)$$

•

•



3.

가. 3

1) 가 . , .

2) Δ () .(.)

$$3n \quad (V_{rs_3n} = V_{r_3n} - V_{s_3n} = 0, V_{st_3n} = V_{s_3n} - V_{t_3n} = 0, V_{t_3n} = V_{s_3n} - V_{t_3n} = 0)$$
$$, 3n \quad \Delta \quad \Delta \quad 3n \quad \text{Filter} \quad ,$$

3n

3) Open Δ R, S, T 가 R (S T) 3 가 .

4) , 3n 가
Converter, Inverter
(64G) 가

•

. (3n+2)

- 1) .
- 2) Δ .(.)
- 3) Open Δ R, S, T
, .
(0 .)

. (3n+1)

- 1) .
- 2) Δ .(.)
- 3) Open Δ R, S, T
, .
(0 .)