

Compiler ()
Semantic Analysis III
-Type Checking

2007 2

Back to Type Checking

- ?
 - 가 ‘ ’
 - Predicate .
(: C “int x” $-2^{31} \leq x < 2^{31}$)
- :
- :
 - “ 가 ”
 - - (=binding)
 - (int x) vs. (x=1;)
 - (= checking)

가

1. Static vs. dynamic checking

– : VS.

2. Static vs. dynamic typing

– : VS.

3. Strong vs. weak typing

– : VS.

4. Sound type systems

–
enforce

(Type Expressions)

- - int, float, char ...
- (type expressions)
 -
 - Array types : $T[], T[10], T[1..10], T[2][3]$
 - ,
 - Structure types : $\{id_1: T_1, \dots, id_n: T_n\}$
 - ,
 - Pointer types : T^*
 - ,
 - Function types : $T_1 \times T_2 \times \dots \times T_n \rightarrow T_{\text{return}}$
 -

Implementation

- - class BaseType extends Type {String name;}
 - class IntType extends BaseType { ... }
 - class FloatType extends BaseType { ... }
 - class ArrayType extends BaseType { ... }
 - class FunctionType extends BaseType { ... }

- - (1) : T1.equals(T2)
 - (2) () : 가 !
 -) int [100] 1, int [1024] 2 , float * 3

Note : OO T1.subtypeOf(T2)

Implementation Example with Yacc & SDD w/o a Symbol Table

-

:

```
Type type;  
type : INTEGER { $$ = new IntType(id); }  
      | ARRAY LBRACKET type RBRACKET  
      { $$ = new ArrayType($3); } ;
```

-

```
expr:  expr PLUS expr {  
        if ($1 == IntType && $3 == IntType)  
            $$ = IntType;  
        else    TypeCheckError("+");  
    }
```

Implementation with A Symbol Table

- Struct, class symbol table

```
class IdExpr extends Expr {  
    Identifier id;  
    Type typeCheck() {return id.lookupType(); }  
}
```

– symbol table lookup

- Checking example (NonSDD style)

```
class Add extends Expr {  
    Type typeCheck() {  
        Type t1 = e1.typeCheck(), t2 = e2.typeCheck();  
        if (t1 == CInt && t2 == CInt) return CInt;  
        else TypeCheckError("+");  
    }  
}
```

- judgment (= static semantics)
 - formal
 - $E : T$ “ E T .”
 - regular expression, judgment
 - CFG, ()
 - $2 : \text{int}$
 - $\text{true} : \text{bool}$
 - $2 * (3 + 4) : \text{int}$
 - “Hello” : string
 - $\text{if } (b) \ 2 \ \text{else } 3 : \text{int}$
 - $x == 10 : \text{bool}$
 - $y = 2 : \text{int}$ $y=2 : \text{unit}$ $// \ \text{unit}$ well typed

Class Problem

- type ?
i int , f
float 가 . S1 .

f1 [3]

- i = i1 [i2]
- while (i < 10) do S1
- (i == 0 ? 4.0 : 1.0)

Judgment

- Consider `if (b) 2 else 3 : int`

-

- `b` `bool (b : bool)`

- `2` `int (2 : int)`

- `3` `int (3 : int)`

- judgment notation

- $A \vdash E : T$ “ A E T ”

-)

- $b: \text{bool}, x: \text{int} \vdash b: \text{bool}$

- $b: \text{bool}, x: \text{int} \vdash \text{if } (b) \ 2 \ \text{else } x : \text{int}$

- $\vdash 2 + 2 : \text{int}$

Judgment

- - $b: \text{bool}, x: \text{int} \vdash \text{if } (b) \ 2 \ \text{else } x : \text{int}$
 - $b: \text{bool}, x: \text{int} \vdash b : \text{bool}$
 - $b: \text{bool}, x: \text{int} \vdash 2 : \text{int}$
 - $b: \text{bool}, x: \text{int} \vdash x : \text{int}$

- (inference)

$$\frac{A \vdash E : \text{bool} \quad A \vdash S1 : T \quad A \vdash S2 : T}{A \vdash \text{if } (E) \ S1 \ \text{else } S2 : T}$$

가

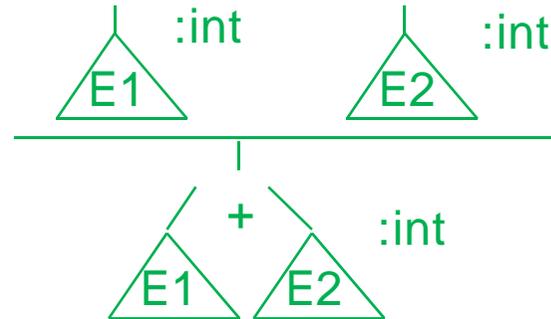
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←

“ $E, S1, S2, A, T$ 가 .” 11

Proof Tree ()

$$\frac{A \vdash E1 : \text{int} \quad A \vdash E2 : \text{int}}{A \vdash E1 + E2 : \text{int}}$$



- S1 S2가 true
- , → proof tree
- proof tree 가 == 가
-)

$$\frac{A1 \vdash b : \text{bool} \quad A1 \vdash 2 : \text{int} \quad A1 \vdash 3 : \text{int}}{A1 \vdash !b : \text{bool} \quad A1 \vdash 2 + 3 : \text{int} \quad A1 \vdash x : \text{int}}$$

$$b : \text{bool}, x : \text{int} \vdash \text{if} (!b) 2 + 3 \text{ else } x : \text{int}$$

Class Problem

•

$t ::= \text{true}$
| false
| $\text{if } t \text{ then } t \text{ else } t$
| 0
| $\text{succ } t$
| $\text{pred } t$
| $\text{iszero } t$

•

- (1) $\text{if iszero } 0 \text{ then } 0 \text{ else pred } 0 : \text{int}$
- (2) $\text{pred}(\text{succ}(\text{iszero}(\text{succ}(\text{pred}(0)))))) : \text{int}$

•

$0 : \text{int}$
 $\text{true} : \text{bool}$
 $\text{false} : \text{bool}$

$t1 : \text{bool} \quad t2 : T \quad t3 : T$
 $\text{if } t1 \text{ then } t2 \text{ else } t3 : T$

$t1 : \text{int}$
 $\text{succ } t1 : \text{int}$

$t1 : \text{int}$
 $\text{pred } t1 : \text{int}$

$t1 : \text{int}$
 $\text{iszero } t1 : \text{bool}$

Assignment Statements

$$\frac{\begin{array}{l} \text{id} : T \in A \\ A \vdash E : T \end{array}}{A \vdash \text{id} = E : T} \quad (\text{variable-assign})$$

$$\frac{\begin{array}{l} A \vdash E3 : T \\ A \vdash E2 : \text{int} \\ A \vdash E1 : \text{array}[T] \end{array}}{A \vdash E1[E2] = E3 : T} \quad (\text{array-assign})$$

If Statements

- if

$$\frac{\begin{array}{l} A \vdash E : \text{bool} \\ A \vdash S1 : T \quad A \vdash S2 : T \end{array}}{A \vdash \text{if } (E) S1 \text{ else } S2 : T} \quad (\text{if-then-else})$$

- else 가

$$\frac{\begin{array}{l} A \vdash E : \text{bool} \\ A \vdash S : T \end{array}}{A \vdash \text{if } (E) S : \text{unit}} \quad (\text{if-then})$$

Class Problem

1. while (E) S
2. Type id = E
3. E1 ? S1 : S2

Sequence Statements

- well typed well typed
 well typed well typed
 – ? Recursive (list)

$A \vdash S1 : T1$

$A \vdash (S2; \dots ; Sn) : Tn$

$A \vdash (S1; S2; \dots ; Sn) : Tn$ (sequence)

$$\begin{array}{l}
 A \vdash T \text{ id} [= E] : T1 \quad \leftarrow \text{ = unit if no E} \\
 A, \text{id} : T \vdash (S2; \dots ; S_n) : T_n \\
 \hline
 A \vdash (T \text{ id} [= E]; S2; \dots ; S_n) : T_n \quad \text{(declaration)}
 \end{array}$$

symbol table entry

Function

-

- A 가 가 ,

- $$\frac{A, a_1 : T_1, \dots, a_n : T_n \vdash E : Tr}{A \vdash \text{fun } (T_1 a_1, \dots, T_n a_n) = E : T_1 \times T_2 \times \dots \times T_n \rightarrow Tr}$$

- $$A \vdash \text{fun } (T_1 a_1, \dots, T_n a_n) = E : T_1 \times T_2 \times \dots \times T_n \rightarrow Tr$$

-

- $$A \vdash E : T_1 \times T_2 \times \dots \times T_n \rightarrow Tr$$

- $$A \vdash E_i : T_i \quad (i \in 1 \dots n)$$

(function-call)

- $$A \vdash E(E_1, \dots, E_n) : Tr$$

Function (cont ')

- (return)
 - ()
 - $$\frac{A \vdash E : T}{A \vdash \text{return } E : \text{unit}} \quad (\text{return-})$$
 - Symbol table (return_fun
) 가 .. .
 - $$\frac{A \vdash E : T \quad \text{return_fun} : T}{A \vdash \text{return } E : T} \quad (\text{return})$$
 - $A, a1 : T1, \dots, an : Tn, \text{return_fun} : Tr \vdash E : Tr$

Control Flow

- Scope Type check
- “Control flow errors”
 - **break** **continue** 가 while , for .
 - **Goto labels**
 - AST 가 .

Where We Are...

